

The Open University of Sri Lanka  
Faculty of Engineering Technology  
Department of Electrical & Computer Engineering



Study Programme	: Bachelor of Software Engineering Honours
Name of the Examination	: Final Examination
<b>Course Code and Title</b>	<b>: EEX6563/ECX6263 Software Construction</b>
Academic Year	: 2019/20
Date	: 11 <sup>th</sup> October 2020
Time	: 1330 – 1630 hrs
Duration	: <b>3 hours</b>

### General Instructions

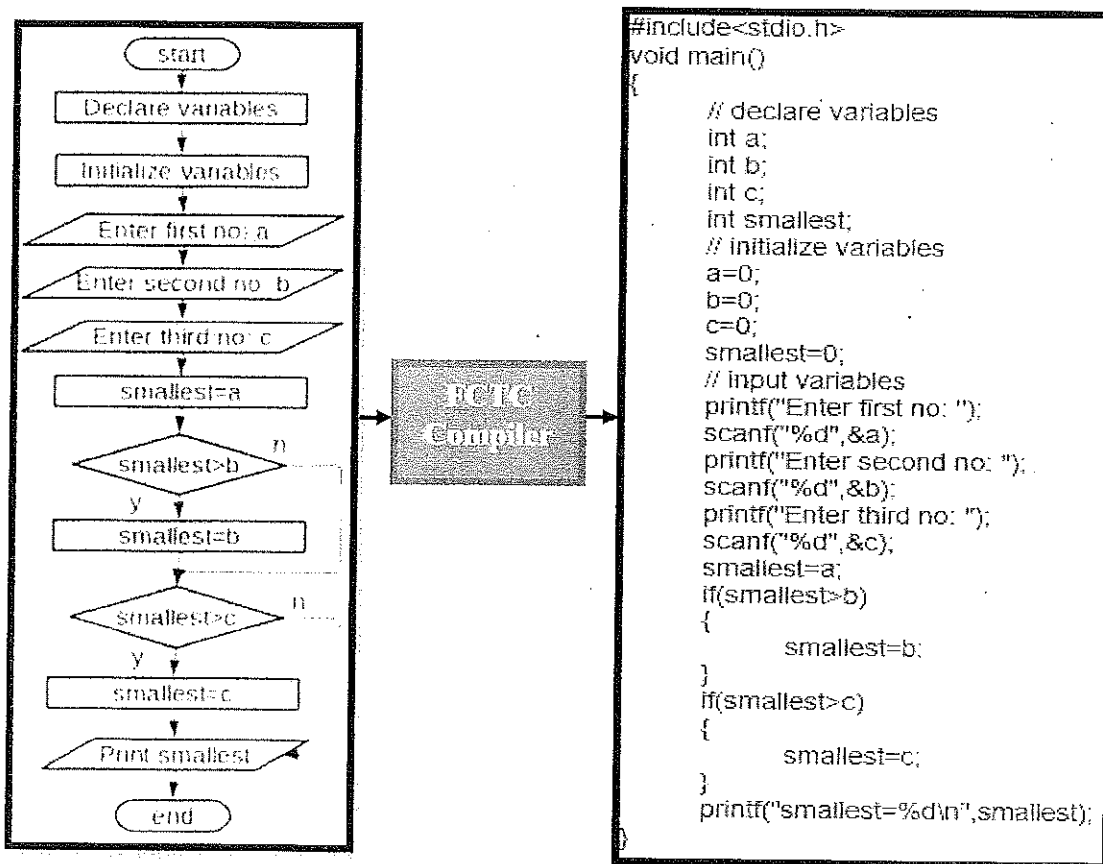
1. Read all instructions carefully before answering the questions.
  2. This question paper consists of **Five (5)** questions in **Four (4)** pages.
  3. Answer **all** questions in **Part A** and any **TWO** questions from **Part B**.
  4. Answer for each question should commence from a new page.
  5. This is a Closed Book Test (**CBT**).
  6. Answers should be in clear handwriting.
  7. Do not use Red colour pen.
  8. Clearly state your **assumptions**, if any.
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**Part A – Answer all questions**

- [Q1]. Suppose you are designing a FCTC (Flow chart to C) compiler which gives C language code equivalent to the flow chart as shown in figure 1.1. Refer the example FCTC compiler shown in Figure 1.2 to answer [Q1].



**Figure 1.1: The FCTC Compiler**



**Figure 1.2: An example of the FCTC Compiler**

- Briefly explain the four types of grammars with applications. [10 marks]
- Explain the compilation phases of the FCTC compiler. You must clearly show the input and output of each phase. [30 marks]
- Define the grammar **G** for the FCTC compiler showing the start symbol, the production rules, terminals, and non-terminals. [10 marks]
- Write LEX implementation syntax for the FCTC compiler. [10 marks]

Part B – Answer ANY TWO questions

[Q2].

- a) Consider the following grammar for Boolean expressions (E is a Non terminal).

$$E \rightarrow E \text{ or } E \mid E \text{ and } E$$

$$E \rightarrow \text{not } E$$

$$E \rightarrow (E)$$

$$E \rightarrow \text{true} \mid \text{false}$$

$$E \rightarrow \text{ID}$$

- (i) Show that this grammar is ambiguous by using the string: **not(ID and ID or ID) and ID** [04 Marks]
- (ii) Rewrite the grammar to remove the ambiguity. Make sure that your received grammar accepts the same language as the original. [04 Marks]
- (iii) Then derive the above string in (a) using your grammar. [04 Marks]
- b) Consider the following productions.

$$U \rightarrow xT \mid yTP \mid \varepsilon$$

$$T \rightarrow yxU \mid xyP$$

$$P \rightarrow xxU \mid yyT \mid \varepsilon$$

- (i) Identify the type of this grammar and write the grammar in the form  $G = (N, T, P, S)$ . [04 Marks]
- (ii) Derive the “xyyyxyxxxxxyxx” strings using this grammar. [04 Marks]

[Q3].

- a) Give regular expressions to generate the following strings over the alphabet  $\{0, 1\}$ .

- (i). Set of all string where every 01 is followed by at least one 1.
- (ii). Set of all strings containing only 3 1's.
- (iii). Set of all strings of length 3 or more and starting with 10.

[06 Marks]

- b) Find the NDFFA equivalent to the regular expression  $(a + b)(ab + ba)^*bb$

[06 Marks]

- c) Convert the NDFFA constructed in question 3) b) to equivalent DFA.

[08 Marks]

[Q4]. A grammar  $G$  is given by

$$G = (\{S, A, B\}, \{a, b, c\}, P, S)$$

where  $P$  is given by the following productions:

$$S \rightarrow aAbc$$

$$Ab \rightarrow bA$$

$$Ac \rightarrow Bbcc$$

$$bB \rightarrow Bb$$

$$aB \rightarrow aaA$$

$$aB \rightarrow aa$$

$$S \rightarrow abc$$

(i) Define formal grammar  $G$  using standard notations.

[04 marks]

(ii) Show that this grammar generates the language

$$L = \{a^n b^n c^n \mid n \geq 1\}.$$

[10 marks]

(iii) Is  $L$  context-free? State the reasons for your answer.

[06 marks]

[Q5]. Consider the grammar rules are given below (VendingMachine, STOCK, SALES, ITEM, SALE are non-terminals and others are terminals).

$$\text{VendingMachine} \rightarrow \text{stock STOCK sales SALES}$$

$$\text{STOCK} \rightarrow \text{STOCK ITEM} \mid \varepsilon$$

$$\text{ITEM} \rightarrow \text{item price qty}$$

$$\text{SALES} \rightarrow \text{SALES SALE} \mid \varepsilon$$

$$\text{SALE} \rightarrow \text{item price}$$

(a) Derive the string: *stock item price qty sales item price*

[02 Marks]

(b) Define the Chomsky Normal Form (CNF) for CFGs.

[04 Marks]

(c) Convert the given grammar into CNF.

[12 Marks]

(d) Derive the above string in (a) using new grammar in (c)

[02 Marks]

