



Date: March 22, 2011

Time: 1400 – 1700 hrs

Important:

1. This question paper consists of seven questions.
2. Answer all questions in **Part A** (60 marks), which is compulsory and **TWO** from **Part B** (40 marks).

Part A

Consider the following description of a compiler to answer Q1 to Q3.

The following grammar is for a compiler, called “*fully parenthesized expressions*” to do some basic arithmetic operations with operands of one digit.

expression \rightarrow digit | (expression operator expression)
operator \rightarrow + | - | \times | /
digit \rightarrow 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9

An arithmetic expression is ‘*fully parenthesized*’ if each operator plus its operands is enclosed in a set of parentheses and no other parentheses occur. As examples, this grammar produces such forms as 3, (5+8) and (9 - ((3+4) \times 1)).

Q1

- (a) What are the terminals and the non-terminals in this grammar? [2]
- (b) Define regular expressions for lexical units (tokens) of this grammar. [4]
- (c) Draw a single NFA from your regular expressions. [8]
- (d) Define the token table for this compiler. [4]
- (e) How do you represent a token in the lexical analyzer of this compiler? Explain with an example. [2]
- (f) Describe how the lexical analyzer would process an input string. [5]
- (g) Describe the stream of tokens generated by the lexical analyzer for the input string (5+8). [3]

Q2

- (a) Write three rules of the syntax analyzer for this compiler. [6]
- (b) Describe how the syntax analyzer would process an input (stream of tokens). [6]
- (c) Describe the syntax analyzer operation for the input in above Q1(g) [4]

Q3

- (a) Explain in briefly, the *context handling* in this compiler. [4]
- (b) Define the instructions for the code generation phase of this compiler. Assuming a stack-based (post-fix) system. [6]
- (c) By using above instructions in (b), Write the result of the code generation phase when run the expression (4 \times ((3+1)/2)). [6]

Part B

Q4

- (a) Draw NFA for the regular expression $(ab|b^*)^*(ba)^*$ over the $\Sigma = \{a, b\}$. [5]
 (b) Convert the NFA obtained in (a) to a DFA. [15]

Q5 Consider the following grammar for Boolean expressions (E is a Non terminal)

$$\begin{aligned} E &\rightarrow E \text{ or } E \mid E \text{ and } E \\ E &\rightarrow \text{not } E \\ E &\rightarrow (E) \\ E &\rightarrow \text{true} \mid \text{false} \\ E &\rightarrow ID \end{aligned}$$

- (a) Show that this grammar is ambiguous by using the string:

$$\text{not}(ID \text{ and } ID \text{ or } ID) \text{ and } ID \quad [6]$$

- (b) Rewrite the grammar to remove the ambiguity. Make sure that your revised grammar accepts the same language as the original. [10]
 (c) Then, derive the above string in (a) using your new grammar. [4]

Q6

- (a) Define Chomsky Normal Form for CFGs. [4]
 (b) Convert the following grammar to CNF.

$$\begin{aligned} S &\rightarrow XaX \mid bX \mid Y \\ X &\rightarrow XaX \mid XbX \mid \varepsilon \\ Y &\rightarrow ab \end{aligned} \quad [16]$$
Q7 A Turing machine (TM) operating over the alphabet $\Sigma = \{0, 1\}$ accepts only the strings of the form $0^n 1^n 2^n$ ($n > 0$) and the blank symbol B. For this TM,

- (a) Draw the transition graph. [14]
 (b) List the moves made for the input '001122' using instantaneous descriptions. [6]

End.