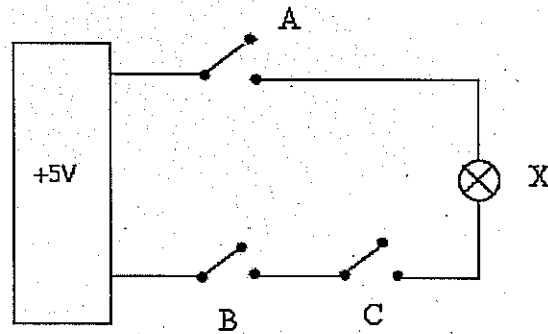




Answer THREE Questions ONLY.

Q1.

- Prove De Morgan's theorem for a two variable case.
- What are the input combinations for this circuit?
- Draw the truth table for the following circuit.



- Briefly describe the principle of duality for the Commutative property of Boolean algebra.
- Consider following Truth table;

A	B	C	X
0	0	0	0
0	0	1	0
0	1	0	0
0	1	1	1
1	0	0	0
1	0	1	1
1	1	0	1
1	1	1	1

- Obtain the Boolean expression for the above truth table.
- What is the Sum of Product term for this truth table?
- Find the Product of Sum for of the Boolean expression.

Q2.

- a. Mention two advantages of Boolean expression minimization.
- b. Simplify the following Boolean expression.

$$\overline{A}(A+B) + (B+AA)(A+\overline{B})$$

- i. Using Boolean Algebraic rules
 - ii. K-Map method
- c. Draw the Block diagram for the above simplified expression.
 - d. What is the complexity of the circuit above?
 - e. Write two reasons for using K-Map method for Boolean expression simplification.

Q3.

- a. Why do we need "*Data Representation*"?
- b. Give an example for fixed point number system with the range and the precision and prove whether Associative law is correct for that number system.
- c. Convert 65.075 into following bases;
 - i. Base 2
 - ii. Base 8
 - iii. Base 12
- d. Consider +014 and -014 decimal values and find the following representations for them.
 - i. Unsigned
 - ii. Sign-Magnitude
 - iii. 1's Complement
 - iv. 2's Complement
 - v. BCD 9's Complement
 - vi. BCD 10's Complement

Q4.

- a. Use two's complement addition example and describe "*Overflow*".
- b. Draw the truth table for the Binary Half Adder.
- c. Draw the Logic/Block diagram for the Half Adder and briefly describe the operation.
- d. Draw a diagram for Ripple Carry Adder for addition of 3-bit binary numbers.
- e. Explain how we can use a single hardware circuit for two's complement addition and subtraction.

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